## Assaciditive Property of Ahdition

Changing the grouping of addends does not change their sum

$$
\begin{aligned}
& a+(b+c)=(a+b)+c \\
& 2+(3+5)=(2+3)+5
\end{aligned}
$$

Changing the grouping of factors does not change their product

$$
\begin{aligned}
& a \times(b \times c)=(a \times b) \times c \\
& 2 \times(3 \times 4)=(2 \times 3) \times 4
\end{aligned}
$$

Changing the order of addends does not change their sum

$$
a+b=b+c
$$

$$
1+2=2+1
$$

## 

Changing the order of factors does not change their product
$\mathrm{a} \times \mathrm{b}=\mathrm{b} \times \mathrm{a}$
$2 \times 3=3 \times 2$

# Distributive Property 

The product of a factor and a sum equals the sum of the products.

$$
\begin{aligned}
\mathrm{a} \times(\mathrm{b}+\mathrm{c}) & =(\mathrm{a} \times \mathrm{b})+(\mathrm{a} \times \mathrm{c}) \\
2 \times(3+5) & =(2 \times 3)+(2 \times 5) \\
2 \times 8 & =6+10 \\
16 & =16
\end{aligned}
$$

# Identity Properity of Addation 

The sum of any number and 0 is that number.
$a+0=a$
$19+0=19$

The difference of any number and zero is that number.

$$
d-0=d=24-0=24
$$

The difference of any number and itself is zero.
$d-d=0 \quad 24-24=0$

#  

Also called the "Property of One": The product of any number and 1 is that number.

$$
\begin{aligned}
& a \times 1=a \\
& 9 \times 1=9
\end{aligned}
$$

The product of any number and zero is zero.

$$
a \times 0=0
$$

$$
10 \times 0=0
$$

# Addition <br> <br> Property of Equality 

 <br> <br> Property of Equality}

Adding the same number to both sides of an equation results in a new equation, having the same solution(s) as the original.

$$
\begin{gathered}
a-2=5 \\
a-2+2=5+2 \\
a=7 \\
\sqrt[7]{7}-2=5
\end{gathered}
$$

Multiplying both sides of an equation by the same nonzero number results in a new equation, having the same solution(s) as the original.

$$
\begin{gathered}
c \div 2=5 \\
c \div 2 \times 2=5 \times 2 \\
c=10 \\
\checkmark \quad 10 \div 2=5
\end{gathered}
$$

## Division Property of Equality

Dividing both sides of an equation by the same nonzero number results in a new equation, having the same solution(s) as the original.

$$
3 n=15 \quad \frac{3 n}{3}=\frac{15}{3} \quad n=5 \quad \sqrt{ } \quad 3 \cdot 5=15
$$

# Subtracition Property of Equality 

Subtracting both sides

$$
b+2=5
$$

$$
\begin{aligned}
& \text { of an equation by the } \\
& \text { same number results in } b+2-2=5-2
\end{aligned}
$$

a new equation, having the same solution(s) as the original.

## Adolitive Inverse of Inteyers

The additive inverse of an integer is its opposite. An integer and its additive inverse have the same absolute value:

The sum of an integer and its additive inverse is always zero.
-3 and +3
$-3++3=0$

# Rule for Adolition of Integerers 

 The sum of a positive integer and a negative integer will have the same sign as the integer with the greater absolute value.$+10+-8=+2 \quad+9+-11=-2$

# Rule for Subtraction of Integers 

Subtracting an integer is the same as adding its opposite.

$$
-7-10=-7++10
$$

$$
-8-+3=-8+-3
$$

$$
+4--5=+4++5
$$

